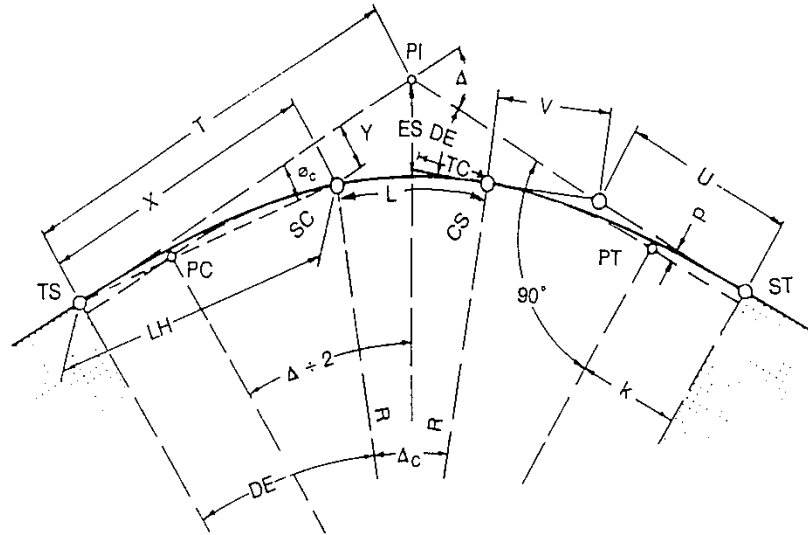


TRANSITION (SPIRAL) CURVES



- | | | | |
|------------------|---------------------------------------|------------------|-----------------------------------|
| LS = | Length of Spiral | V = | Short Tangent |
| L = | Length of Circular Curve | X = | Tangent Distance for SC |
| R = | Radius of Circular Curve | Y = | Tangent Offset of the SC |
| TC = | Tangent of Circular Curve | k = | Simple Curve Coordinate(Abscissa) |
| T = | Tangent Distance | P = | Simple Curve Coordinate(Ordinate) |
| Δ = | Deflection Angle Between the Tangents | ∅ _c = | Deflection Angle of Spiral Curve |
| DE = | Spiral Angle | TS = | Tangent to Spiral |
| Δ _c = | Central Angle Between the SC and CS | SC = | Spiral to Circular Curve |
| ES = | External Distance | CS = | Circular Curve to Spiral |
| LH = | Long Chord | ST = | Spiral to Tangent |
| U = | Long Tangent | | |

SPIRAL CURVE FORMULAS

DE =	$(28.6479 \times LS) \div R$	TC =	$R \times [\tan (\Delta_c \div 2)]$
Z =	$0.01745 \times DE$	Δ _c =	$\Delta - (2 \times DE)$
X =	$LS \times [1 - (Z^2 \div 10) + (Z^4 \div 216)]$	p =	$Y - [R \times (1 - \cos DE)]$
Y =	$LS \times [(Z \div 3) - (Z^3 \div 42) + (Z^5 \div 1320)]$	k =	$X - [R \times (\sin DE)]$
L =	$(R \times \Delta_c) \div 57.2958$		

TO CALCULATE T AND ES OF A SIMPLE CURVE WITH EQUAL SPIRALS

T =	$[(R + p) \times \tan (\Delta \div 2)] + k$
ES =	$[(R + p) \times \text{Exsec} (\Delta \div 2)] + p$
ES =	$[(R + p) \div \cos (\Delta \div 2)] - R$

TO CALCULATE THE TANGENT DISTANCES OF A SIMPLE CURVE WITH UNEQUAL SPIRALS

T _{in} =	$[(R + P)_2 \div \sin \Delta] - [(R + p)_1 \times \cot \Delta] + k_1$
T _{out} =	$[(R + p)_1 \div \sin \Delta] - [(R + p)_2 \times \cot \Delta] + k$

FIGURE C-7-1 TRANSITION (SPIRAL) CURVES*

* Rev. 7/12